1. Suppose $T: X \rightarrow Y$ is continuous and has a continuous inverse. Show that if one of $X$ or $Y$ is a Banach space, the other must be as well.
2. R \& Y 4.6
3. R \& Y 4.13
4. $\mathrm{R} \& \mathrm{Y} 4.17$
5. R \& Y 4.18
6. R \& Y 4.19
7. R \& Y 4.21 (Hint: You first need to show that the map from $\ell^{1}$ to $\mathbb{R}$ is continuous. Look at Corollary 4.53.)
